5.3 – Electric cells

Essential idea: Electric cells allow us to store energy in a chemical form.

Nature of science: Long-term risks: Scientists need to balance the research into electric cells that can store energy with greater energy density to provide longer device lifetimes with the long-term risks associated with the disposal of the chemicals involved when batteries are discarded.

5.3 – Electric cells

Understandings:

- Cells
- Internal resistance
- Secondary cells
- Terminal potential difference
- Electromotive force (emf)

5.3 – Electric cells

Applications and skills:

- Investigating practical electric cells (both primary and secondary)
- Describing the discharge characteristic of a simple cell (variation of terminal potential difference with time)
- Identifying the direction of current flow required to recharge a cell
- Determining internal resistance experimentally
- Solving problems involving emf, internal resistance and other electrical quantities

5.3 – Electric cells

Guidance:

 Students should recognize that the terminal potential difference of a typical practical electric cell loses its initial value quickly, has a stable and constant value for most of its lifetime, followed by a rapid decrease to zero as the cell discharges completely

Data booklet reference:

• $\varepsilon = I(R + r)$

5.3 – Electric cells

International-mindedness:

 Battery storage is important to society for use in areas such as portable devices, transportation options and back-up power supplies for medical facilities

Theory of knowledge:

 Battery storage is seen as useful to society despite the potential environmental issues surrounding their disposal. Should scientists be held morally responsible for the long-term consequences of their inventions and discoveries?

Utilization:

The chemistry of electric cells (see Chemistry subtopics 9.2 and C.6)

5.3 – Electric cells

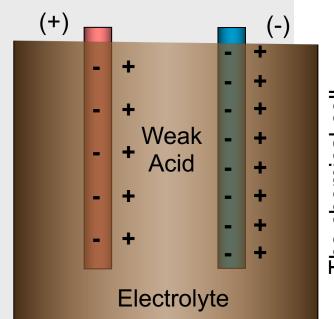
Aims:

- Aim 6: experiments could include (but are not limited to): investigation of simple electrolytic cells using various materials for the cathode, anode and electrolyte; software-based investigations of electrical cell design; comparison of the life expectancy of various batteries
- Aim 8: although cell technology can supply electricity without direct contribution from national grid systems (and the inherent carbon output issues), disposal of batteries and the chemicals they use can introduce environmental pollutants
- Aim 10: improvements in cell technology has been through collaboration with chemists

5.3 – Electric cells

Cells

- •To make a chemical cell, or a battery, you can begin with a container of weak acid, and two electrodes made of different metals.
- Different metals dissolve in acids at different rates.
- •When a metal dissolves, it enters the acid as a positive ion, leaving behind an electron.
- •We call the weak acid the electrolyte. We call the least negative metal the positive terminal. We call the most negative metal the negative terminal.



The chemical cell

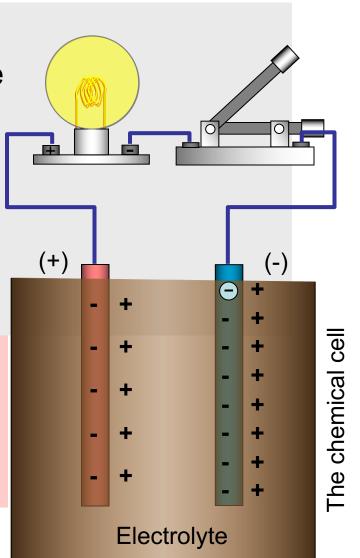
5.3 – Electric cells

Cells

- •Think of a chemical cell as a device that converts chemical energy into electrical energy.
- •If we connect conductors and a light bulb to the (+) and the (-) terminals, we see that electrons begin to flow in an electric current.

FYI

•Why do the electrons run from (-) to (+) in the external circuit instead of the reverse?

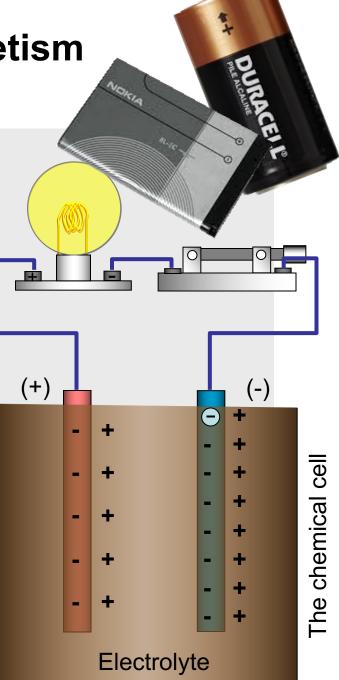


5.3 – Electric cells

Cells – primary and secondary

•Each time an electron leaves the (-), the acid creates another electron.

- Each time an electron enters the (+), the acid neutralizes an electron.
- •This process is maintained until one of the metals or the electrolyte is completely used up.
- •A primary cell can't be recharged.
- •A secondary cell can be recharged by applying an external voltage, reversing the chemical reaction.

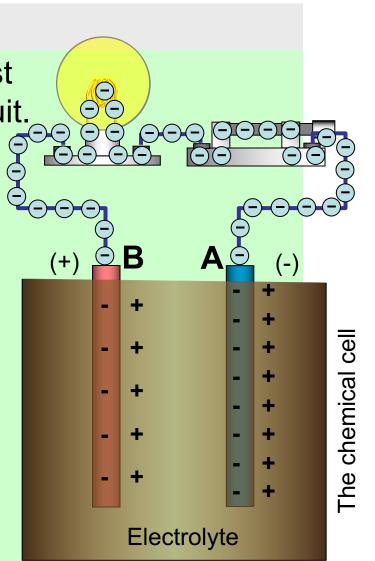


5.3 – Electric cells

Cells - current

PRACTICE: A current isn't really just one electron moving through a circuit. It is in reality more like a chain of them, each one shoving the next through the circuit. Recalling the charge law "like charges repel, and unlike charges attract," explain why the current flows from (-) to (+) in terms of the force of repulsion. **SOLUTION:**

- Consider electrons at A and B.
- Both electrons feel a repulsive force at their respective electrodes.

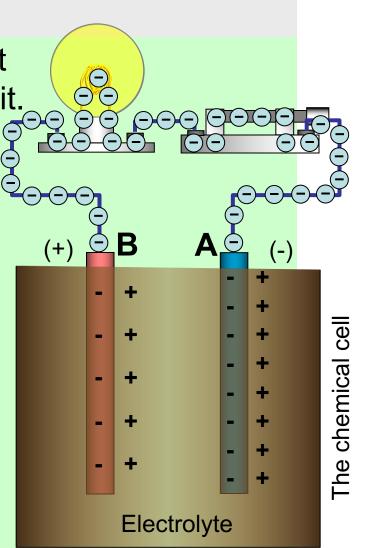


5.3 – Electric cells

Cells - current

PRACTICE: A current isn't really just one electron moving through a circuit. It is in reality more like a chain of them, each one shoving the next through the circuit. Recalling the charge law "like charges repel, and unlike charges attract," explain why the current flows from (-) to (+) in terms of the force of repulsion. **SOLUTION:**

•But A's is bigger than B's because there are more negatives repelling at A than B. Thus A wins.



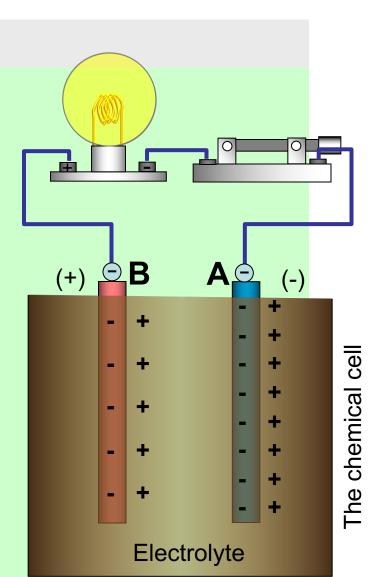
5.3 – Electric cells

Cells – electric potential energy

PRACTICE: Consider electrons at points A and B. Which one has more potential energy?

SOLUTION:

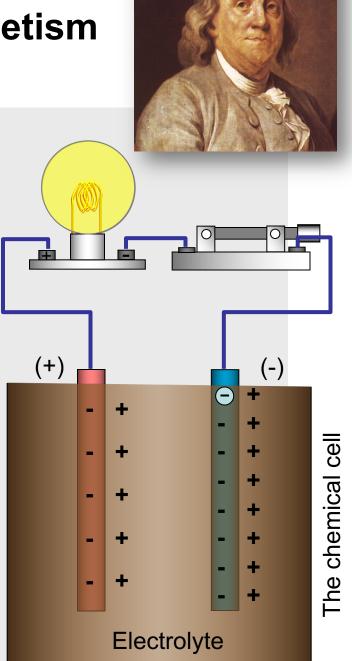
- •The electron at **B** has already traveled through the circuit and is returning to the cell so it can do no more work on the bulb.
- •The electron at **A** still has the full circuit to travel and can thus still do work on the bulb.
- Thus the electron at A has more potential energy.



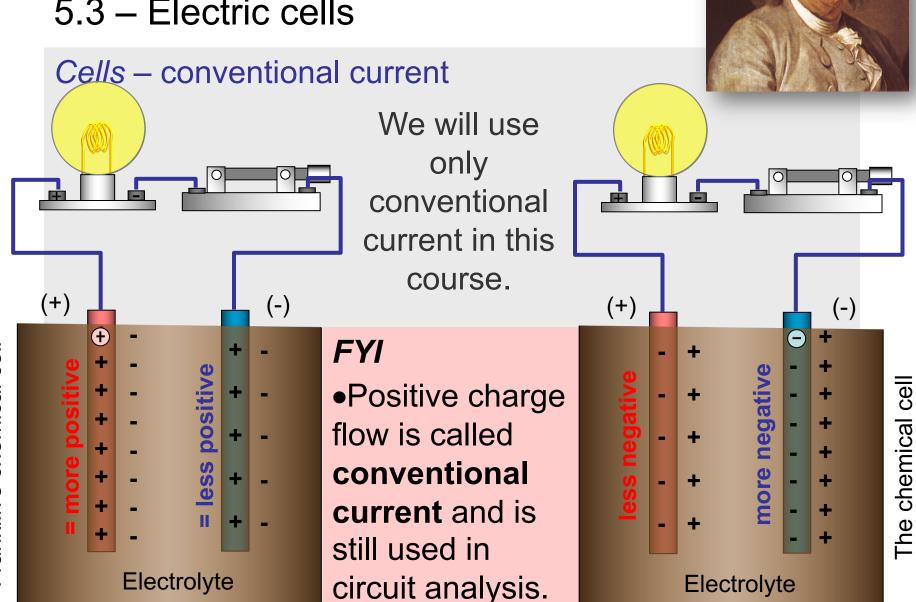
Topic 5: Electricity and magnetism 5.3 – Electric cells

Cells - conventional current

- Back in the days of Ben Franklin scientists understood that there were two types of electricity: positive and negative.
- •What they didn't know was which one was actually free to travel through a circuit.
- •The influential Ben Franklin guessed wrongly that it was the positive charge.
- •Thus, his vision of our chemical cell looked like the one on the next slide.



5.3 – Electric cells



Franklin's chemical cell

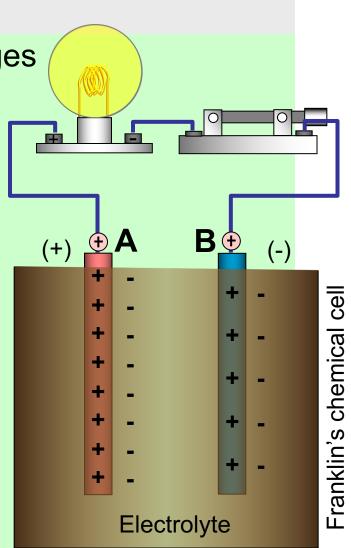
5.3 – Electric cells

Cells – electric potential energy

PRACTICE: Consider positive charges at points A and B. Which one has more potential energy?

SOLUTION:

- •The charge at **B** has already traveled through the circuit and is returning to the battery so it can do no more work on the bulb.
- •The charge at **A** still has the full circuit to travel and can thus still do work on the bulb.
- Thus the positive charge at A has more potential energy.



5.3 – Electric cells

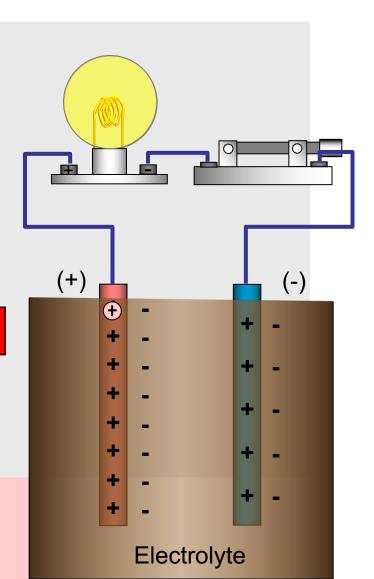
Cells – electric potential difference

•We define the **electric potential difference** ΔV as the amount of work done in moving a positive charge q from a point of lower potential energy to a point of higher potential energy.

$$\Delta V = \Delta E_P / q$$
 potential difference

•The units for electric potential difference are volts V or, as can be seen from the formula, J C⁻¹.

FYI •Electric potential difference is often abbreviated p.d.



5.3 – Electric cells

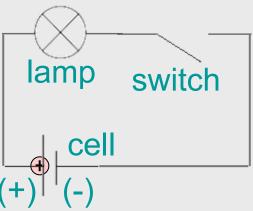
Cells – electric potential difference

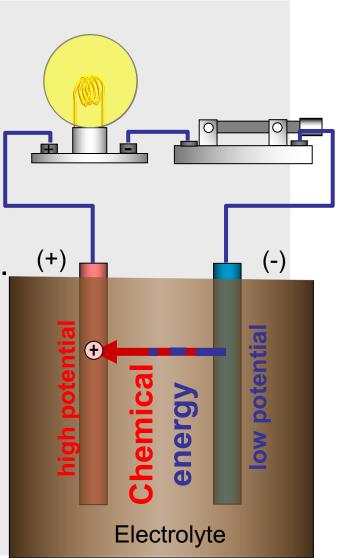
•Think of a battery as an engine that uses chemical energy to take positive charges and move them from low to high potential within the cell so that they can do work outside the cell in the external circuit.

The schematic symbol for a switch

is shown.

 For this circuit we have the schematic:

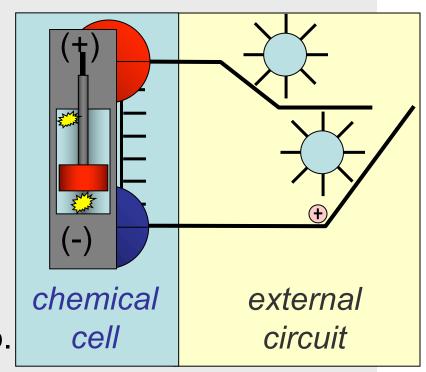




5.3 – Electric cells

Cells – electric potential difference

- •As an analogy to gravitational potential energy, think of the chemical cell as an elevator, powered by a chemical engine.
- •Inside the cell, positive charges at low potential are raised through chemical energy to high potential.
- •Outside the cell, positive charges at high potential are released into the external circuit to do their electrical work, losing energy as they go.



5.3 – Electric cells

Cells – electric potential difference

EXAMPLE:

200 μ C of charge is brought from an electric potential of 2.0 V to an electric potential of 14 V through use of a car battery. What is the change in potential energy of the charge?

SOLUTION:

•From $\Delta V = \Delta E_P / q$ we see that $\Delta E_P = q \Delta V$. Thus

$$\Delta E_{P} = q(V - V_{0})$$
 $\Delta E_{P} = (200 \times 10^{-6})(14 - 2)$
 $\Delta E_{P} = 0.0024 \text{ J}.$

FYI

Note the increase rather than the decrease.

5.3 – Electric cells

Cells – electromotive force (emf)

•The electromotive force ϵ (or emf) of a cell is the amount of chemical energy converted to electrical

energy per unit charge.

•Since energy per unit charge is volts, emf is measured in volts.

•This cell has an emf of ε = 1.6 V.

 Because the cell is not connected to any

circuit we say that it is unloaded.



5.3 – Electric cells

Cells – electromotive force (emf)

EXAMPLE: How much chemical energy is converted to electrical energy by the cell if a charge of 15 μ C is

drawn by the voltmeter?

SOLUTION:

- •From $\Delta V = \Delta E_P / q$ we have $\varepsilon = \Delta E_P / q$.
- Thus

$$\Delta E_{P} = \varepsilon q$$

= (1.6)(15×10⁻⁶)
= 2.4×10⁻⁵ J.



5.3 – Electric cells

Cells – internal resistance

•If we connect a resistor as part of an external circuit, we see that the voltage read by the meter goes down a

little bit.

•We say that the cell is **loaded** because there is a resistor connected externally in a circuit.

 This cell has a loaded potential difference (p.d.) of V = 1.5 V.



5.3 – Electric cells

Cells - internal resistance

- •All cells and batteries have limits as to how rapidly the chemical reactions can maintain the voltage.
- •There is an **internal resistance** *r* associated with a cell or a battery which causes the cell's voltage to drop when there is an external demand for the cell's electrical energy.
- •The best cells will have small internal resistances.
- •The internal resistance of a cell is why a battery becomes hot if there is a high demand for current from an external circuit.
- Cell heat will be produced at the rate given by

 $P = I^2r$ r = cell internal resistance

cell heat rate

5.3 – Electric cells

Cells - internal resistance

PRACTICE: A battery has an internal resistance of $r = 1.25 \Omega$. What is its rate of heat production if it is supplying an external circuit with a current of l = 2.00 A? SOLUTION:

- Rate of heat production is power.
- $\bullet P = I^2 r$
- $\bullet P = (2^{2})(1.25) = 5.00 \text{ J s}^{-1} (5.00 \text{ W}.)$

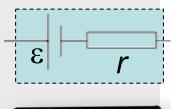
FYI

- •If you double the current, the rate of heat generation will quadruple because of the I^2 dependency.
- •If you accidentally "short circuit" a battery, the battery may even heat up enough to leak or explode!

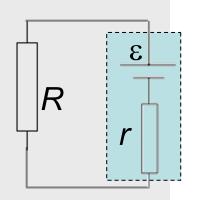
5.3 – Electric cells

Cells – internal resistance

- •If we wish to consider the internal resistance of a cell, we can use the cell and the resistor symbols together, like this:
- •And we may enclose the whole cell in a box of some sort to show that it is one unit.
- •Suppose we connect our cell with its internal resistance r to an external circuit consisting of a single resistor of value R.
- •All of the chemical energy from the battery is being consumed by the internal resistance r and the external load represented by the resistance R.







Topic 5: Electricity and magnetism 5.3 – Electric cells

R r

Cells – internal resistance

- •From $E_P = qV$ we can deduce that the electrical energy being created by the cell is $E_P = q\varepsilon$.
- •The electrical energy being converted to heat energy by R is $E_{P,R} = qV_R$.
- •The electrical energy being converted to heat energy by r is $E_{P,r} = qV_r$.
- •From conservation of energy $E_P = E_{P,R} + E_{P,r}$ so that $\aleph \varepsilon = \aleph V_R + \aleph V_r$.
- •Note that the current *I* is the same everywhere.
- •From Ohm's law $V_R = IR$ and $V_r = Ir$ so that $\varepsilon = IR + Ir$.

$$\varepsilon = IR + Ir = I(R + r)$$

emf relationship

5.3 – Electric cells

Cells - internal resistance

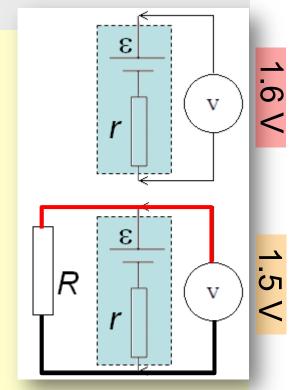
EXAMPLE:

A cell has an unloaded voltage of 1.6 V and a loaded voltage of 1.5 V when a 330 Ω resistor is connected as shown.

- (a) Find ϵ . (b) Find I.
- (c) Find the cell's internal resistance.

SOLUTION:

(a) From the first schematic we see that $\varepsilon = 1.6 \text{ V}$. (Unloaded cell.)



- (b) From the second diagram we see that the voltage across the 330 Ω resistor is 1.5 V. (Loaded cell.)
- V = IR so that 1.5 = I(330) and I = 0.0045 A.

5.3 – Electric cells

Cells – internal resistance

EXAMPLE:

A cell has an unloaded voltage of 1.6 V and a loaded voltage of 1.5 V when a 330 Ω resistor is connected as shown.

- (a) Find ε .
- (b) Find *I*.
- (c) Find the cell's internal resistance.

SOLUTION:

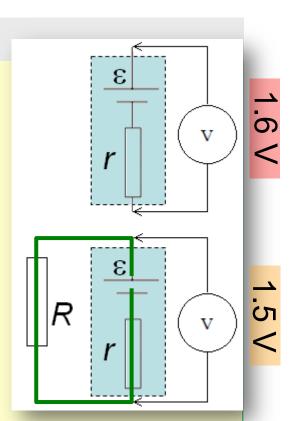
(c) Use the emf relationship $\varepsilon = IR + Ir$.

$$1.6 = (0.0045)(330) + (0.0045)r$$

$$1.6 = 1.5 + 0.0045r$$

$$0.1 = 0.0045r$$

$$\rightarrow$$
 $r = 22 \Omega$.



5.3 – Electric cells

Cells – terminal potential difference EXAMPLE:

A cell has an unloaded voltage of 1.6 V and a loaded voltage of 1.5 V when a 330 Ω resistor is connected as shown.

(d) What is the terminal potential difference t.b.d. of the cell?

SOLUTION:

- (d) The **terminal potential difference** is the potential difference at the terminals of the cell where it connects to the external circuit.
- •This cell has an unloaded t.p.d of 1.6 V, and a loaded t.p.d. of 1.5 V. Note that the t.p.d. depends on the load.

